

This Theory is 0

All QM physicists know about *real* eigenvalue (Dirac eq), observables. All mathematicians know that the limit of a Cauchy sequence of rational numbers is a Cauchy *real* number. So all we did here is show we postulated *real*#0 by using it to derive a rational Cauchy sequence with limit 0. We did this because that same postulate (of *real*#0) math *also* implies the *real* eigenvalues we get from a generally covariant generalization of the Dirac equation that does not require gauges (Newpde), clearly an advance over previous such physics pdes.

So next we first must define 0:

Algebra of 0: numbers $1=1+0$ and $list\ 0=0X0, 1=1X1$ defines symbol $z=zz$
real#0 implied if plugging $z=0$ into $z=zz+C$, **eq1**, gets *some* constant C (ie $\delta C=0$) [ie **postulate0**]
 Eq1 iteration $z_{N+1}=z_N z_N + C$ defines bigger numbers z_{N+1} and so we can *define* additional symbols (eg., fields, rings and δC calculus) *without* axioms [except 0]

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$\delta C=0$ implies we only need the 2 real **extreme** of C (fig1)

I) Lower extremum iteration of eq1 from $z_0=0$; We must reject the Cs for which $\delta C=\delta(z_{N+1}-z_N z_N)=\delta(\infty-\infty)\neq 0$. The Cs that are left over are the **Mandelbrot set** C with *lower* δC extremum $C_M=-1.4..$ Next larger fractal scale (fig1: $N=1$, 'observers') called big C. Also $z=1+\delta z$ into eq1 implies $\delta z+\delta z \delta z=C$ (2)

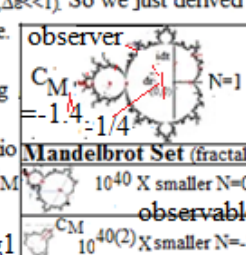
II) Upper extremum from quadratic equation eq2: $\delta z=\frac{(-1\pm\sqrt{1+4C})}{2}=dr+idt$, $C<-1/4$. Thus that rational Cauchy sequence is $z_{N+1}=z_N z_N + C=-1/4, -3/16, -55/256, \dots 0$. So 0 is a *real* number QED
 Eq2 also implies for big C ($N=1$, 'observer') $\delta z \ll \delta z \delta z \approx C$. Thus $0=\delta C \approx \delta(\delta z \delta z)=\delta((dr+idt)^2)=\delta[(dr^2-dt^2)+i(dr dt+dt dr)]=0$ =Minkowski metric+Clifford algebra= Dirac equation.

So these *Real*#s are *real* eigenvalues because:

III) 2D Mandelbrot C δz (fig1) perturbs independent 2D Dirac dr getting 4D eigenfunction ψ in Newpde $=\gamma^\mu(\sqrt{\kappa_{\mu\mu}})\partial\psi/\partial x_\mu=(\omega/c)\psi$ for e, ν , $\kappa_{00}=e^{i(2\Delta\varepsilon/(1-2\varepsilon))}-r_H/r$, $\kappa_{rr}=1/(1+2\Delta\varepsilon-r_H/r)$; fractal $r_H=C_M/\xi=e^2 X 10^{40N}/m$ ($N=-1, 0, 1, \dots$); $\Delta\varepsilon=0$ for neutrino ν , $N=-1$ or no object B. So

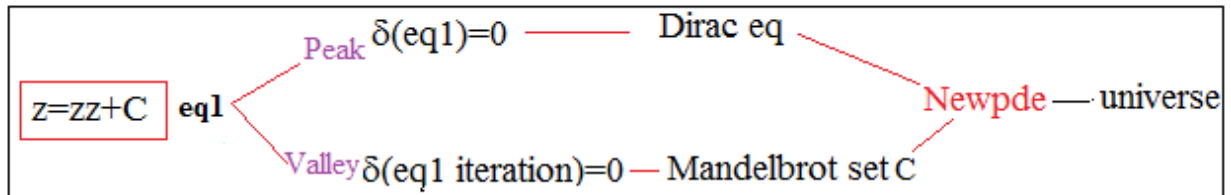
Postulate(0)→Newpde

Appendix A,B,C: $N=1$ fractal scale $2P_{3/2}$ Baryon Newpde objects A,B,C. We are inside object A

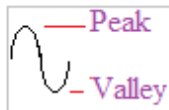
Spherical Harmonic Solutions to Newpde: $2P_{3/2}, 1S_{1/2}, 2S_{1/2}$ at $r=r_H$ Stable $2P_{3/2}$ at $r=r_H$	
$N=0$ at $r=r_H$ $2P_{3/2}$ 3e baryons (QCD not required) Hund's rule $1S_{1/2}, 2S_{1/2}$ leptons (Koide) 4 SM Bosons from 4 axis extreme rotations of e, ν $N=1$ (i.e., $e^2 X 10^{-40} \approx G m_e^2$). κ_μ is then by inspection the Schwarzschild metric g_μ (For $N=-1, \Delta\varepsilon \ll 1$). So we just derived General Relativity (GR) and the gravity constant G from Quantum Mechanics (QM) in one line. $N=1$ Newpde zitterbewegung expansion stage is the cosmological expansion. $N=1$ Zitterbewegung harmonic coordinates and Minkowski metric submanifold (after long time expansion) gets the DeSitter ambient metric we observe. $N=0$ The third order Taylor expansion (terms) in $\sqrt{\kappa_\mu}$ gives the anomalous gyromagnetic ratio and Lamb shift <i>without</i> the renormalization and infinities. So κ_μ provides the general covariance of the Newpde. So we got all of physics here by mere inspection of this Newpde with no gauges!	
	

Conclusion: So by merely *postulating* 0, out pops the whole universe, BOOM! easily the most important discovery ever made or that will ever be made again.

*Thus our concept is: **Ultimate Occam's razor postulate0** →ultimate math-physics so simplest 0 definition ($1=1+0$; list $0=0X0, 1=1X1$ is $z=zz$, *not* $z=zzzz$) and we have from our (obviously required) *real*0 postulate thereby *real* eigenvalues *and* so Hermitian operators (*observables*) with their eigenfunctions ψ provided by the Newpde.



$\delta C=0$
So 2 real **extreme** for C



Both **Peak** and **Valley** math are very simple (section 1)
So this silly little **eq1**(C constant) gives the universe.
This is a powerful **reality check** on this idea

0 is **real#** $\longrightarrow$ **real** eigenvalues
if $z=0$ plugged into **Eq1** **postulate 0** $\longrightarrow$ Newpde: $\gamma^{\mu}(\sqrt{g_{\mu\nu}})\partial\psi/\partial x_{\mu}=(\omega/c)\psi$
gives $\exists$ constant C