

This Theory Is 0

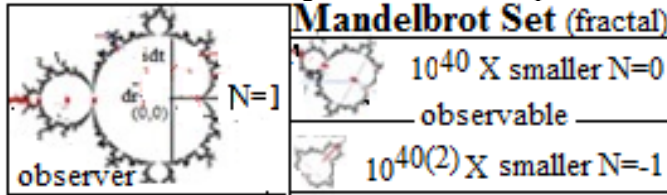
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Abstract All mathematicians know that the limit of a Cauchy sequence of rational numbers is a Cauchy real#. So all we did here is show we postulated real#0 by using it to derive a associated rational Cauchy sequence. We did this because that same postulate (of rel#0) math *also* implies fundamental theoretical physics. Construct postulate0 from

1) numbers $1 \equiv 1+0$ and $0 \equiv 0 \times 0, 1 \equiv 1 \times 1$ as symbol $z = zz$: the simplest algebraic definition of 0. So
 2) Postulate real number 0 if $z=0$ and $z'=1$ plugged into $z' = z'z' + C$ (eq.1) results in some $C=0$ constant (ie $\delta C=0$)

Applications

• Plug in $z=0=z_0=z'$ in eq1. To find all C substitute z' on left (eq1) into right z'z' repeatedly and get iteration $z_{N+1} = z_N z_N - C$. Constraint $\delta C=0$ requires we reject the Cs for which $-\delta C = \delta(z_{N+1} - z_N z_N) = \delta(\infty - \infty) \neq 0$. The Cs that are left over define the Mandelbrot set $C_M = C$ with a subset $C=0$, fractal scales $\delta z' = 10^{40N} \delta z, N = \text{integer}$. These fractal scales having their own δz then perturb that $z=1$ so put $z=1+\delta z$ in eq.1 to get $\delta z + \delta z \delta z = C$ (3)



Define $N \leq 0$ as 'observable' fractal scales. Thus define the 'observer' fractal scales as $N \geq 1$ implying $|\delta z| \gg 1$. Then solve equation 3 as a quadratic equation so $\delta z = (-1 \pm \sqrt{1 + 4C})/2 \equiv dr + idt$ if $C \leq -1/4$ (complex) (4)
 Note the Mandelbrot set iteration (ie., $z_{N+1} = z_N z_N - C$) for this $\delta C=0$ extremum $C = -1/4$ is a rational number Cauchy sequence $-1/4, -3/16, -55/256, \dots, 0$ thereby proving our above postulated real#0 math. We must also

• Plug in $z=1$ in $z' = 1 + \delta z$ in eq1, So $\delta C=0 = (eq1 \text{ implies } eq3) = \delta(\delta z + \delta z \delta z) = \delta \delta z (1) + \delta \delta z (\delta z) + (\delta z) \delta \delta z =$
 (observer $|\delta z| \gg 1$) $\approx \delta(\delta z \delta z) = 0 = (\text{plug in eq.4}) = \delta[(dr+idt)(dr+idt)] = \delta[(dr^2-dt^2) + i(dr dt + dt dr)] = 0$ (5)
 $= 2D \delta[(\text{Minkowski metric, } c=1) + i(\text{Clifford algebra} \rightarrow \text{eq.7a})]$ (\equiv Dirac eq)

Factor real eq.5 $\delta(dr^2-dt^2) = \delta[(dr+dt)(dr-dt)] = 0 = [[\delta(dr+dt)](dr-dt)] + [(dr+dt)[\delta(dr-dt)]] = 0$ (6)
 so $-dr+dt=ds, -dr-dt=ds \equiv ds_1 (\rightarrow \pm e)$ Squaring & eq.5 gives circle in e,v (dr,dt) 2nd, 3rd quadrants (7)
 & $dr+dt=ds, dr-dt=ds, dr+dt=0$, light cone ($\rightarrow v, \bar{v}$) in same (dr,dt) plane 1st, 4th quadrants (8)
 & $dr+dt=0, dr-dt=0$ so $dr=dt=0$ defines vacuum (while eq.4 derives space-time) (9)

Those quadrants give positive scalar $dr dt$ in eq.7 (if not vacuum) so imply the eq.5 non infinite extremum imaginary $\equiv dr dt + dt dr = 0 = \gamma^i dr^j dt + \gamma^j dt^i dr = (\gamma^i \gamma^j + \gamma^j \gamma^i) dr dt$ so $(\gamma^i \gamma^j + \gamma^j \gamma^i) = 0, i \neq j$ (from real eq5 $\gamma^i \gamma^i = 1$) (7a)

Thus from eqs 5, 7a: $ds_1^2 = dr^2 - dt^2 = (\gamma^r dr + i \gamma^t dt)^2$ Note how eq5 and C_M just fall (pop) out of eq.1, amazing!

We square eqs. 7 or 8 or 9 $ds_1^2 = (dr+dt)(dr+dt) = (-dr-dt)(-dr-dt) = [dr^2 + dt^2] + (dr dt + dt dr)$
 $\equiv ds^2 + ds_3 = ds_1^2$. Circle $\equiv \delta z = dse^{i\theta} = dse^{i(\Delta\theta + \theta_0)} = dse^{i((\cos\theta dr + \sin\theta dt)/(ds) + \theta_0)}$, $\theta_0 = 45^\circ$ min of $\delta ds^2 = 0$ given eq.7 constraint for $N=0$ $\delta z'$ perturbation of eq5 flat space. We define $k \equiv dr/ds, \omega \equiv dt/ds, \sin\theta \equiv r, \cos\theta \equiv t, dse^{i45^\circ} \equiv ds'$. Take ordinary derivative dr (since flat space)

of 'Circle' $\frac{\partial(dse^{i(\frac{r dr + t dt}{ds})})}{\partial r} = i \frac{dr}{ds} \delta z$ so $\frac{\partial(dse^{i(rk + wt)})}{\partial r} = ik \delta z$, thus $k \delta z = -i \frac{\partial \delta z}{\partial r}$ (11).

• Both $z=0, z=1$ together (in eq1. Use orthogonality to get (2D+2D curved space)). Thus $(z=1) + (z=0) = (dx_1 + idx_2) + (dx_3 + idx_4) \equiv dr + idt$ given $dr^2 - dt^2 = (\gamma^r dr + i \gamma^t dt)^2$ if $dr^2 = dx^2 + dy^2 + dz^2$ (3D orthogonality) so that $\gamma^r dr \equiv \gamma^x dx + \gamma^y dy + \gamma^z dz, \gamma^i \gamma^j + \gamma^j \gamma^i = 0, i \neq j, (\gamma^i)^2 = 1$, rewritten ($N=-1$ eq.12 implies the covariant κ_{ij} of eq.13,15) as $(\gamma^x \sqrt{\kappa_{xx}} dx + \gamma^y \sqrt{\kappa_{yy}} dy + \gamma^z \sqrt{\kappa_{zz}} dz + \gamma^t \sqrt{\kappa_{tt}} dt)^2 = \kappa_{xx} dx^2 + \kappa_{yy} dy^2 + \kappa_{zz} dz^2 - \kappa_{tt} dt^2 = ds^2$. Multiply both sides by \hbar^2/ds^2 and $\delta z^2 \equiv \psi^2$ use eq11 inside brackets () get 4D QM $\gamma^\mu (\sqrt{\kappa_{\mu\mu}}) \partial \psi / \partial x_\mu = (\omega/c) \psi \equiv \text{Newpde}$ for e,v, $\kappa_{oo} = 1 - r_H/r = 1/\kappa_r, r_H = e^2 \times 10^{40N}/m$ ($N = -1, 0, 1, \dots$).
 So Postulate 0 \rightarrow Newpde

•Results: of (merely plugging $z'=0, z'=1$ into eq.1) **postulate 0** (1) backups: davidmaker.com
Newpde: $N=0$, stable $r=r_H$ composite(part II) $3e 2P_{3/2}$ is baryons(QCD not required), SM is the extreme of 4 e,v quadrant rotations. $N=-1$ is GR. Expansion stage of $N=1$ scale $\delta z'=\delta z e^{i\omega t}$ Dirac eq zitterbewegung oscillation is the cosmological expansion, $N=0$ the 3rd order Taylor expansion component(1) of $\sqrt{\kappa_{rr}}$ gets the anomalous gyromagnetic ratio so don't need the renormalization infinities. So we get the physics here
 Math: Note the implied $z=zz+C$ iteration (required to prove postulate real 0 if $z_0=z=0$) numbers possibly are larger so don't have to be postulated. So we can merely *list* $1+1=2$, etc (*defined* to be $a+b=c$) with the symbolic rules defined (eg.,ring-field def. like $a+b=b+a$). with no new axioms.
 Thus (with the math&physics) we understand *everything* (eg GR, cosmology, QM,e,v SM, baryons, rel#). So the *simplest idea imaginable 0* implies all *fundamental math-physics*. no more, no less(eg simply 4D)
•Conclusion: So by merely (plugging 0,1 into eq.1) **postulating 0**, out pops the universe, BOOM! easily the most important discovery ever made or that will ever be made again. We finally figured it out

Reminder:

For example **by postulating 0** we derive the Newpde (above) and **so the electron e** (see sect., eq.11b).. Note also that 0 is not the same as the null set \emptyset since 0 is a real number and \emptyset isn't.

So when we postulate 0 we are also implicitly postulating the real# nature of 0.

Summary This Theory is 0 The rest is a real number 0 **definition**

We need to define the algebra first and use it to write postulate0. So define numbers $1=1+0$, and $0=0X0, 1=1X1$ as symbol $z=zz$ the simplest algebraic definition of 0. **So**

Theory	Real# 0 definition
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Postulate 0 if $z=1$ and $z=0$ (plugged) into $z=zz+C$ eq.1 gives some $C=0$ constant(ie $\delta C=0$)

Can't be more Occam than postulate(0). All the rest is 2 **applications**. So must

- 1) **plug $z=0$** into eq.1 (given the implied $z=zz+C$ eq1 iteration) to get the 2D (fractal) Mandelbrot set to prove postulate real 0. Iteration numbers might be bigger $1+1=2, 1+2=3$ etc., with defined symbols $a+b=c$ and algebra rules eg., $a+b=b+a$. So the postulate generates real#math without extra axioms.
- 2) **plug $z=1$** into eq.1 and get 2D Dirac eq.

Both Mandelbrot and Dirac results together give $2+2=4D$ Newpde (plus some Copenhagen stuff)

Solve the differential equation (Newpde) to get the physical universe, no more, no less.
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Conclusion: Ultimate Occam's razor postulate(0) implies ultimate math-physics.