

## Define Real Observable 1

Abstract DEFINITION OF REAL OBSERVABLE 1

postulate real observable 1

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list-define math (from 1, sect.4)

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$z=zz$  algebraic definition of 1 is the small C limit of  
 $z=zz+C, \delta C=0, C<0$  (1) needed to define real observable 1

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Plug left side z of eq.1 into right side zz repeatedly and use  $\delta C=0$  and get

Mandelbrot set iterations from  $z_0=1$

Cauchy seq subset generates real# 1

Feigenbaum pt. subset from Clifford alg

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new pde  $\psi \gamma^\mu \sqrt{(\kappa_{\mu\mu})} \partial \psi / \partial x_\mu = (\omega/c) \psi$  (Curved space, Generally covariant, fractal) .

The  $((dr+dt)/ds)\psi = 1\psi = -i\hbar d\psi/dr + i\hbar d\psi/dct$  Hermitian operator on this  $\psi$  defines observable 1

Note all we did here was to define real observable 1.

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Plug  $z=1+\delta z$  into eq.1 and get:

$$\delta(\delta z + \delta z \delta z) = 0$$

Im=Clifford Alg, Real=SR →

operator formalism

so Dirac eq.(flat space)

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But by writing out this definition we also inadvertently derived both real# math and physics from the postulate of 1. (Backups at davidmaker.com)

### 1) Introduction

1 is the simplest idea imaginable. But 1 is not just a squiggle written on a piece of paper. For the postulate of 1 to be meaningful and tangible 1 must be real observable: an idea everyone can understand. So all I did then was to define real observable 1.

Note real (i.e., Cauchy seq.of rational #) and observable (i.e., Hermitian operator on  $\psi$ ) are rigorously defined and so the resulting new pde  $\psi$  is rigorously derived.

Summary: Postulate 1 (and get math and physics).

### 2) Details of above derivation of the new pde that defines real observable

So we just postulate 1, the simplest idea imaginable, and then use that list-define method, that uses this 1, to develop the algebra tools(sect.4) we need to define real observable. In that regard the simplest algebraic definition of 1,0 is  $z=zz$  which is the small C limit of

$$z=zz+C, \delta C=0, C<0 \quad (1)$$

needed to define real observable 1.

(A) Substitute  $z=1+\delta z$  into eq.1 and get  $\delta(\delta z + \delta z \delta z) = 0$  (2). (gets Dirac eq. "observables")

(B) Substitute the left side z of  $z = zz+C$  back into the right side zz of eq.1 repeatedly and use  $\delta C=0$  and get the Mandelbrot set (fractal) iteration formula for some  $C_M$ . (containing subsets of Cauchy sequences for real#). Other substitutions into eq.1 than A&B do not lead to "real" to 'real' 'observable'. Other substitutions into eq.1 than A&B do not lead to 'real' 'observable'.

## 2.1 Derivation of new pde

(A) So from eq.2  $(\delta z - K) + \delta z \delta z = C$  (constant C and K) which is a quadratic eq. with in-general complex solution  $\delta z = dr + idt$ . Plug that back into eq.2 with  $K = \delta z$  to initialize to flat space and get  $\delta(dr^2 + i(dr dt + dt dr) - dt^2) = 0$  since  $dr^2 - 1^2 dt^2 = ds^2$  is special relativity (Minkowski metric given  $1^2 = \text{natural unit constant speed}^2 = c^2$ ) invariance. The imaginary extremum is the Clifford algebra  $dr' dt' + dt' dr' = \gamma^r dr \gamma^t dt + \gamma^t dt \gamma^r dr = 0$  since  $2 dr dt \neq 0$  here for NONvacuum. Factor the real component and get 5 equations (eg., e;  $dr + dt = ds, dr - dt = ds$  (3), etc.,  $dr - dt$  in IV quadrant so  $ds > 0$ ).

e=electron=only nonzero proper mass. (Complex unknown K for  $K \neq \delta z + \delta z'$  ( $\delta z'$ ) perturbation adds 2 degrees of freedom.). **We just derived special relativity here!**

Square eq.3 to get  $+ds^2 = (dr + dt)^2 = (dr^2 + dt^2) + dr dt + dt dr$  implying  $dr^2 + dt^2 = ds^2$  circle invariance at  $45^\circ$  since  $dr + dt$  and  $dr dt + dt dr$  (cross term) are invariant. So  $\delta z = ds e^{i\theta} = ds e^{i((\sin\theta dr + \cos\theta dt)/ds)}$ . Take the r derivative, define  $dr/ds = k, \sin\theta = r, \delta z = \psi$  and multiply both sides by  $i\hbar$  and define momentum  $p = \hbar k = \xi v$  to get the operator formalism  $p_r \psi = -i\hbar \partial \psi / \partial r$  (so observables p). All three invariances imply the Dirac equation for e, v. **We just derived quantum mechanics here!**

Clifford algebra small  $dr dt$  area extremum is then the real# line  $dr dt$  Mandelbulb Feigenbaum pt.  $C_M$ . on the real axis. were the Mandelbrot iteration sequence has that Cauchy seq. subset. giving the real numbers. Postulate 1 (eq.1) then requires a new (boost) frame of reference to give small fractal baseline  $\delta z' = C_M / \gamma = C_M / \xi = r_H = C$ . So  $K \neq \delta z + \delta z'$  perturbation of flat space eq.3:

$(dr - \delta z') + (dt + \delta z') = ds = dr' + dt'$  rotation (3) since ds invariant. Defining  $\kappa_{rr} = (dr/dr')^2 = 1/(1 - r_H/r) + \dots, r = dr$ , in the Minkowski metric  $ds^2 = dr'^2 + dt'^2 + \dots$ , and using invariance  $dr dt = dr' dt' = \sqrt{\kappa_{rr}} dr \sqrt{\kappa_{tt}} dt$ , we obtain  $\kappa_{rr} = 1/\kappa_{tt}$  and thereby get 4D GR math. So the Feigenbaum point neighborhood perturbation rotations  $\theta$  and Dirac equation give that new pde  $\gamma^\mu \sqrt{(\kappa_{\mu\mu})} \partial \psi / \partial x_\mu = (\omega/c) \psi$  with that fractal  $r_H$  (by  $10^{40} \times$  scale change). Hermitian operators on these new pde  $\psi$ s are the observables.

## 3) Applications Of The New pde

That new pde  $z=0$  composite e, v implies the  $Z, W^\pm, \gamma$ , the 4 Bosons of the Standard electroweak Model SM (PartI) and so Maxwell's equations and Proca equation. New pde  $z=0$   $2P_{3/2}$  composite 3e results in rapid e motion Fitzgerald contraction of E field lines giving the strong force and so (the much larger mass) baryons. (partII). The iteration of the new pde on the next higher fractal scale generates the Schwarzschild metric (i.e., gravity) and so general covariance. So we just derived general relativity (GR) from quantum mechanics in one line!

Recall the new pde zitterbewegung oscillation on the next higher fractal scale. With us being in the expansion stage of the oscillation for  $r < r_c$  this then explains the expansion of the universe. Many new pde experimentally testable predictions (eg., differential cross-section peak for 21 Tev p-p collisions, totem results, ...etc..) are contained in partI, partII, partIII.

### 3.1) Note The Square Root In New pde $\gamma^\mu \sqrt{(\kappa_{\mu\mu})} \partial \psi / \partial x_\mu = (\omega/c) \psi$

For  $z=1$  the 3<sup>rd</sup> order term in the Taylor expansion of the two square roots  $\sqrt{\kappa_{\mu\mu}}$  in the new pde gets the Lamb shift (2) and anomalous gyromagnetic ratio respectively thus eliminating the need for renormalization and the resulting infinite charge, infinite mass, infinite vacuum density, etc.. Thus these square roots cause theoretical physics to give right answers again (Infinite everything is 0% right)

#### 4) Real Analysis From Only The Postulate 1

Recall one of our two goals was to define the **real** numbers from one simple postulate **1**. To do that we had to define real observable **1**. Here we mention the details of developing the algebra (e.g., required for eq.1) such as the list-define method (in the above flow chart).

Given this (postulate) **1** we can use *list-define* (list the many instances of a relation e.g., start with  $\mathbf{1} \cup \mathbf{1} \equiv 2$ , then *define* them all as relation  $a+b=c$ ) math(appendix C Part I) to *replace* those famous order axioms, mathematical induction axioms (giving  $\mathbf{N}$ ) and the field and ring axioms to generate the numbers  $\mathbf{N}$  and the algebra of eq.1. Also the (postulate of **1**) restatement:

$z = zz + C, \delta C = 0, C < 0$ . (eq.1) is the same as  $\min(z - zz) > 0$ . So the well known (axiom of)

completeness  $\exists \min_{\text{sup}}$  is provided by the **min** and the (axiom of) "choice" function is  $f(z) = z - zz$ .

We thereby demonstrate that we get the (also required) Completeness and Choice(1) as well

from the postulate of **1**. Also, as we saw, by plugging in the left side  $z$  into the  $zz$  of the right side of eq.1 (which also comes from the **postulate** of **1** via the *list-define* method) repeatedly and use that  $\delta C = 0$  we generate the Mandelbrot set iteration from  $z_0 = \mathbf{1}$  and also a Cauchy sequence of rational numbers that generates the **real number 1**.

Here we thereby have that simplest imaginable idea of postulate **1** generating *only* the real number mathematics and observable physics (e.g., we got 4D) *without* any other postulates!

Otherwise we would also have those many axioms of mathematics to account for as well. **1** is *THE* single Occam's razor postulate meaning we have 'figured it out', Jackpot! (i.e., as in sect.3)

**Conclusion:** Intuitive notion of the **Postulate** of **ONE**.

Given the fractalness astronomers are observing from the inside of what particle physicists are studying from the outside, the  $r_H$  of that **ONE** *new pde 'object'* we first postulated. So we look at big and small scales and all we see is that **ONE** nonzero proper mass  $e$  (even baryons are  $3e$ ).

#### References

- (1) Royden, 'Real Analysis', Pearson modern classics
- (2) Bjorken and Drell, 'Relativistic Quantum Fields'